

Properties of Real Numbers

Suppose a , b , and c represent real numbers.

1) Closure Property of Addition

- Property: $a + b$ is a real number
- Description: If you add two real numbers, the sum is also a real number.

2) Commutative Property of Addition

- Property: $a + b = b + a$
- Description: If you add two real numbers in any order, the sum will always be the same or equal.

3) Associative Property of Addition

- Property: $(a + b) + c = a + (b + c)$
- Description: If you are adding three real numbers, the sum is always the same regardless of their grouping.

4) Additive Identity Property of Addition

- Property: $a + 0 = a$
- Description: If you add a real number to zero, the sum will be the original number itself.

5) Additive Inverse Property

- Property: $a + (-a) = 0$
- Description: If you add a real number and its opposite, you will always get zero.

6) Closure Property of Multiplication

- Property: $a \times b$ is a real number.
- Description: If you multiply two real numbers, the product is also a real number.

7) Commutative Property of Multiplication

- Property: $a \times b = b \times a$
- Description: If you multiply two real numbers in any order, the product will always be the same or equal.

8) Associative Property of Multiplication

- Property: $(a \times b) \times c = a \times (b \times c)$
- Description: If you are multiplying three real numbers, the product is always the same regardless of their grouping.

9) Multiplicative Identity Property of Multiplication

- Property: $a \times 1 = a$
- Description: If you multiply a real number to one (1), you will get the original number itself.

10) Multiplicative Inverse Property

- Property: $a \times (1/a) = 1$ but $a \neq 0$
- Description: If you multiply a nonzero real number by its inverse or reciprocal, the product will always be one (1).

11) Distributive Property of Multiplication over Addition

- Property: $a(b + c) = ab + ac$ or $(a + b)c = ac + bc$
- Description: The operation of multiplication distributes over addition operation.